OBJECTIVES

Shed light on the interaction between:

- imperative conditionals [ICs], or conditional imperatives (Parsons 2015; S. Kaufmann & Schwager 2009; ...)
- (1) If you see something, say_{IMP} something! Schwager 2006

• conditional perfection [CP]

(Geis & Zwicky 1971; van der Auwera 1997; Horn 2000; ...)

If you mow the lawn, I'll give you \$5 (2) \rightarrow if & only if [p you mow the lawn], [q I'll give you \$5] \rightsquigarrow if p, q & if $\neg p$, $\neg q$

IMPERATIVE MEANING

• Strong (\Box) vs. weak (\Diamond) readings for imperatives

- Open the window (3)
 - \approx You **must** open the window
 - \approx You may_{\diamond} open the window b.

Different approaches to the \Box / \diamondsuit -alternation

- modal (M. Kaufmann 2012, Grosz 2011, ...)
- minimal, nonmodal (Portner 2004, 2007; von Fintel & Iatridou 2017)
- \diamond -semantics + EXH to derive \Box (Oikonomou 2022, Francis 2020, ...)

We adopt a **modal ambiguity** approach (Grosz 2011)

The QUD-Approach to CP

Idea in von Fintel 2001: CP depends on the question under discussion = QUD (Roberts 2012)

QUD1, CP-favoring: (4)a. Under which conditions [a] will you give me 5?QUD2, CP-neutral: b. What if $[_{p} I \text{ mow the lawn}]?$ - If [p you mow the lawn], [q I'll give you \$5]*

 $QUD\{1,2\}$ shares the {consequent, antecedent} with the answer.

*Position of the if-clause matters as well, see below

Perfecting imperative conditionals

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'PRIMING' IMPERATIVE FORCE

A QUD1 with a **necessity** modal \Rightarrow a \Box -reading for the consequent [q (you) stay] \Rightarrow CP as a (conditional) **permission** (\Diamond) <u>not</u> to stay

- QUD1: Under which conditions do I have to stay? (c)– Stay if it rains \rightsquigarrow you do <u>not</u> have to stay if it does <u>not</u> rain [if \neg rain, \neg Dstay] \equiv you may leave if it does not rain
- A QUD1 with a **possibility** modal \Rightarrow a \diamond -reading for the consequent [q (you) stay] \Rightarrow CP as a (conditional) **prohibition** (\neg \diamondsuit) to stay
- QUD1: Under which conditions may I stay? (6)– Stay if it rains \rightarrow you may <u>not</u> stay if it does <u>not</u> rain

GENERALIZATION

- $[_{QUD1} \text{ Under which conditions } \underline{\text{must}} \propto Q?]$ (5')if p, Q-IMP \square & if $\neg p$, $\Diamond \neg Q$ \approx 'if p, x must \square Q & if not-p, x is allowed \land not to Q'
- [$_{QUD1}$ Under which conditions may $_{\diamond}$ x Q?] (6')if p, Q-IMP \diamond & if $\neg p$, $\neg \Diamond Q$ \approx if p, x may \Diamond Q & if not-p, x is <u>not</u> allowed \Diamond to Q'

RECONSTRUCTING THE QUD

What readings arise in the absence of an explicit QUD? • default \Box -reading for the imperative consequent • CP with **if-clause to the right** (Bolinger 1952)

If it $rains_{(??F)}$, $stay_{(F)}$! (7)b. $Stay_{(?F)}$ if it $rains_{(F)}!$

Predicted under the QUD-approach: QUD affects position of the if-clause (von Fintel 1994)

Geis & Zwicky 1971

 $[if \neg rain, \Diamond \neg stay]$

 $[if \neg rain, \neg \Diamond stay]$

 $? \rightsquigarrow_{CP}$ you may leave if it doesn't \rightsquigarrow_{CP} you may leave if it doesn't

Pro nesting

Two possible LFs for ICs (S. Kaufmann & Schwager 2009):

 $[\Box (if) it rains] \Box_{IMP} (you) stay$ nested, double modal (8) $\left[\Box_{\text{IMP}} \text{ (if) it rains}\right] \text{ (you) stay}$ single modal

(9)

- (10)

This arguably leaves us with the nested approach in (8-a).

OPEN QUESTION(S)

Silent exhaustification as a possible means to derive

- CP
- \Box -force of the imperative

Are the readings reducible to the number of exhaustifications?

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imperatives.

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• Herburger 2015: CP combines \Box -force with \neg ()-force

if $p, q \rightsquigarrow_{CP} \Box(p)(q) \& \neg \Diamond(\neg p)(q)$ \approx 'if p, q & if not-p, not-q'

 \approx Herburger 2015

• for (8-b), CP is then wrongly predicted to figure as **prohibition**:

$\Box_{\rm IMP}({\rm p rain})({\rm stay}) \& \# \underline{\neg} \Diamond_{\rm IMP}(\neg {\rm rain})({\rm stay})$ \approx 'if it rains, you must stay & #if it doesn't, you mustn't'